

Anexo A

Cálculo analítico de las propiedades de transmisión de las FSS

Marcuvitz [14] resuelve el problema de superficies infinitas formadas por franjas metálicas sin espesor. Siendo p la periodicidad del patrón, w el grosor del metal, g el grosor de los huecos, λ la longitud de onda, ϕ el ángulo de incidencia del campo \vec{E} y θ el ángulo de incidencia del campo \vec{H} sobre el FSS se obtiene las siguientes ecuaciones para el cálculo de los diferentes elementos pasivos que componen el modelo circuital de los FSS:

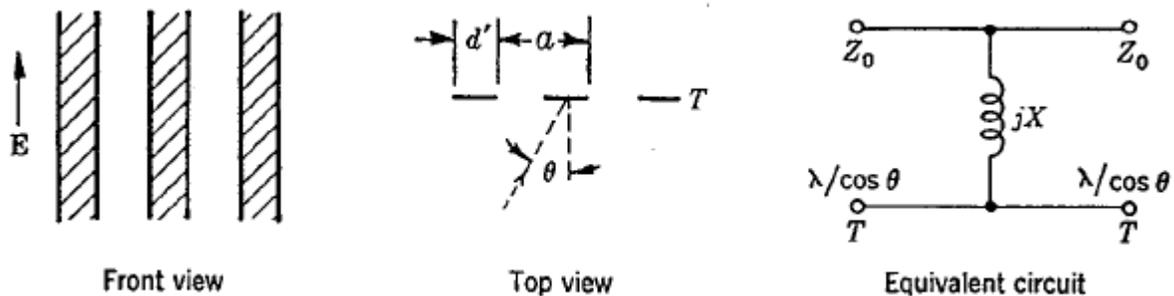


Figura A.1: Esquema de la superficie

$$F(p, w, \lambda, \phi) = j \frac{p \cos \phi}{\lambda} \left[\ln \left(\csc \left(\frac{\pi w}{2p} \right) \right) + G(p, w, \lambda, \phi) \right] \quad (\text{A.1})$$

$$G(p, w, \lambda, \phi) = \frac{0.5(1 - \beta^2)^2 \left[\left(1 - \frac{\beta^2}{4}\right)(C_+ + C_-) + 4\beta^2 C_+ C_- \right]}{\left(1 - \frac{\beta^2}{4}\right) + \beta^2 \left(1 + \frac{\beta^2}{2} - \frac{\beta^4}{8}\right)(C_+ + C_-) + 2\beta^6 C_+ C_-} \quad (\text{A.2})$$

$$C_{\pm} = \frac{1}{\sqrt{1 \pm \frac{2p \sin \phi}{\lambda} - \left(\frac{p \cos \phi}{\lambda}\right)^2}} - 1 \quad (\text{A.3})$$

$$\beta = \sin\left(\frac{\pi w}{2p}\right) \quad (\text{A.4})$$

A partir de estas ecuaciones, se obtiene el parámetro S_{21} . Para el caso de una FSS sin vidrio nos encontramos ante un circuito como el de la figura A.2. X_L se corresponde con la impedancia resultante a partir de las ecuaciones de Marcuvitz y que se explican en el capítulo 2.

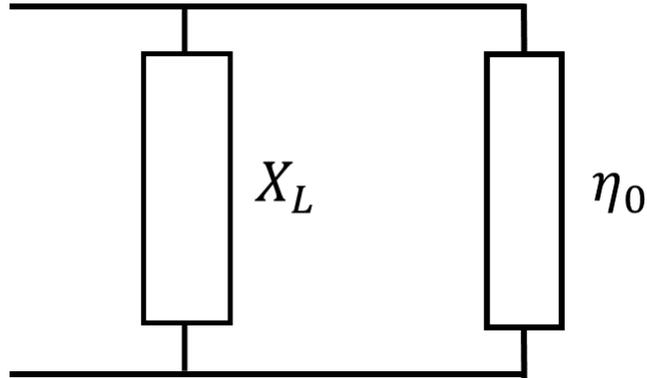


Figura A.2: Circuito equivalente sin vidrio

Por lo tanto se obtiene la impedancia de entrada del circuito calculando la suma de ambas impedancias en paralelo:

$$Z_{in} = \frac{X_L \times \eta_0}{X_L + \eta_0} \quad (\text{A.5})$$

Por otro lado, en el caso de que haya vidrio, se añade una línea de transmisión de longitud igual al espesor del dieléctrico por lo que no nos vale con calcular la impedancia en paralelo con la

impedancia característica, sino que hay que calcular primero la impedancia equivalente tal y como se muestra en la ecuación A.6.

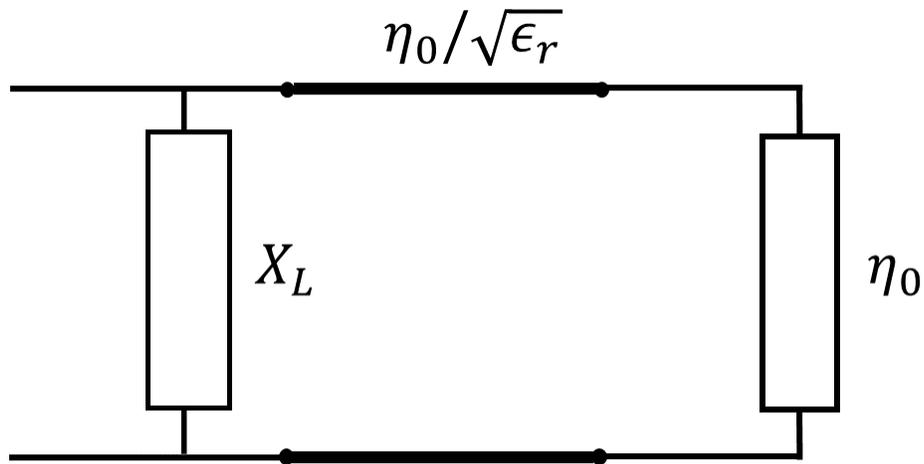


Figura A.3: Circuito equivalente con vidrio

$$Z_0 = \frac{\eta_0}{\sqrt{\epsilon_r}} \frac{1 + j \tan \frac{\beta l}{\sqrt{\epsilon_r}}}{\frac{1}{\sqrt{\epsilon_r} + j \tan \beta l}} \quad (\text{A.6})$$

$$Z_{in} = \frac{X_L \times Z_0}{X_L + Z_0} \quad (\text{A.7})$$

Una vez calculada la impedancia de entrada se puede calcular el coeficiente de transmisión con la ecuación siguiente:

$$S_{21} = \frac{2Z_{in}}{Z_{in} + \eta_0} \quad (\text{A.8})$$

Los diferentes tipos de patrones explicados en el capítulo 3 pueden calcularse siguiendo estos pasos con el siguiente código de Matlab:

```

1 %% Paso alto
2 clear all; close all;
3 palto = textread('Palto27-6.txt')

```

```

4 palto = reshape(palto,46,4);
5 f = 0.5e9:0.1e9:5e9;
6 lambda = 3e8./f;
7 epsr = 2.1;
8 w = 6e-3;
9 p = 27e-3;
10 eta0 = 277;
11 betal = (2*pi*4e-3)./(lambda/sqrt(epsr));
12 Zi = eta0/sqrt(epsr)*(1+j*tan(betal)/sqrt(epsr))./(1/sqrt(epsr)+j*tan(
    betal));
13
14 X_L = eta0*fun(p,w,lambda);
15 Zin = (Zi.*X_L)./(X_L+Zi);
16 S11 = (Zin-eta0)./(Zin+eta0);
17 S11 = abs(S11).^2;
18 S21 = 1 - S11;
19 figure, plot(f,10*log10(S11)); hold on
20 plot(f,10*log10(abs(S21)));
21 plot(f,palto(:,3));
22 plot(f,palto(:,4));
23 xlabel('Frecuencia (Hz)'); ylabel('Magnitud (dB)');
24 legend('S_1_1 teo','S_2_1 teo','S_1_1 sim','S_2_1 sim');
25
26 %% Paso bajo
27 clear all; close all;
28 pbajo = textread('Pbajo27-6.txt');
29 pbajo = reshape(pbajo,46,4);
30 f = 0.5e9:0.1e9:5e9;
31 lambda = 3e8./f;

```

```

32 epsr = 2.1;
33 g = 6e-3;
34 p = 27e-3;
35 eta0 = 277;
36 betal = (2*pi*4e-3)./(lambda/sqrt(epsr));
37 Zi = eta0/sqrt(epsr)*(1+j*tan(betal)/sqrt(epsr))./(1/sqrt(epsr)+j*tan(
    betal));
38
39 B_C = 4*epsr*fun(p,g,lambda);
40 X_C = eta0./B_C;
41
42 Zin = (X_C.*Zi)./(X_C+Zi);
43 S11 = (Zin-eta0)./(Zin+eta0);
44 S21 = (2*Zin)./(Zin + eta0);
45 figure , plot(f,20*log10(abs(S11))); hold on
46 plot(f,20*log10(abs(S21)));
47 plot(f,pbajo(:,3));
48 plot(f,pbajo(:,4));
49 xlabel('Frecuencia (Hz)'); ylabel('Magnitud (dB)');
50 legend('S_1_1 teo','S_2_1 teo','S_1_1 sim','S_2_1 sim');
51
52
53 %% Paso banda
54 clear all; close all;
55 f = 0.5e9:0.1e9:5e9;
56 pbanda = textread('Pbanda50-40-12.txt');
57 pbanda = reshape(pbanda,46,4);
58 lambda = 3e8./f;
59 epsr = 2.1;

```

```

60 g = 3e-3;
61 d = 50e-3;
62 p = 60e-3;
63 eta0 = 120*pi;
64 betal = (2*pi*4e-3)./(lambda/sqrt(epsr));
65 Zi = eta0/sqrt(epsr)*(1+j*tan(betal)/sqrt(epsr))./(1/sqrt(epsr)+j*tan(
        betal));
66
67 F_c= fun(p,g,lambda);
68 B_c = 2*epsr*d/p*F_c;
69 X_c = eta0./B_c;
70
71 F_l2 = fun(p,p-d,lambda);
72 X_l2 = eta0*F_l2;
73
74 ZZ = X_c;
75 Zin = X_l2.*ZZ./(X_l2+ZZ);
76 Zin = Zin.*Zi./(Zin+Zi);
77 S11 = (Zin - eta0)./(Zin + eta0);
78 S11 = abs(S11).^2;
79 S21 = 1 - S11;
80
81 figure ,
82 plot(f,20*log10(abs(S11))); hold on;
83 plot(f,20*log10(abs(S21)));
84 plot(f,pbanda(:,3));
85 plot(f,pbanda(:,4));
86 xlabel('Frecuencia (Hz)'); ylabel('Magnitud (dB)');
87 legend('S_1_1 teo','S_2_1 teo','S_1_1 sim','S_2_1 sim');

```

```

88
89 %% Elimina banda
90 clear all; close all;
91 ebanda = textread( 'Ebanda50-40-12.txt ' );
92 ebanda = reshape( ebanda, 46, 4 );
93 f = 0.5e9:0.1e9:5e9;
94 lambda = 3e8./ f;
95 epsr = 2.1;
96 w = 12e-3;
97 d = 40e-3;
98 p = 60e-3;
99 eta0 = 120*pi;
100 betal = (2*pi*4e-3)./(lambda/sqrt(epsr));
101 Zi = eta0/sqrt(epsr)*(1+j*tan(betal)/sqrt(epsr))./(1/sqrt(epsr)+j*tan(
    betal));
102
103 F_c= fun(p,p-d,lambda);
104 B_c = 4*epsr*w/p*F_c;
105 X_c = eta0./B_c;
106
107 F_l = fun(p,w,lambda);
108 X_l = eta0*(d)/p*F_l;
109
110 Zin = X_l+X_c;
111 Zin = Zin.*Zi./(Zin+Zi);
112 S11 = (Zin - eta0)./(Zin + eta0);
113 S11 = abs(S11).^2;
114 S21 = 1 - S11;
115

```

```

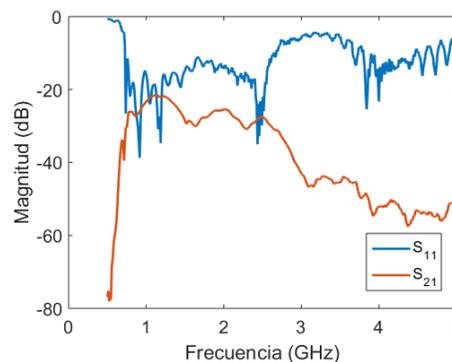
116 figure ,
117 plot(f,10*log10(abs(S11))); hold on;
118 plot(f,10*log10(abs(S21)));
119 plot(f,ebanda(:,3));
120 plot(f,ebanda(:,4));
121 xlabel('Frecuencia (Hz)'); ylabel('Magnitud (dB)');
122 legend('S_1_1 teo','S_2_1 teo','S_1_1 sim','S_2_1 sim');
123
124
125 %% Funcion
126 function F = fun(p,w,lambda)
127 beta = sin(pi/2*w/p);
128 beta2 = beta^2;
129 C = 1./sqrt(1-(p./lambda).^2)-1;
130 G_num = 0.5*(1-beta2)^2*((1-beta2/4)*2*C+4*beta2*C.^2);
131 G_den = (1-beta2/4)+beta2*(1+beta2/2-(beta2^2)/8)*2*C+2*(beta^6)*C.^2;
132 G = G_num./G_den;
133 F = j*p./lambda.*(log(csc(pi/2*w/p))+G);
134 end

```

Anexo B

Características de las antenas utilizadas

- Model: XDJ-800/2500DS-9
- Frequency Range-MHz: 824-960/1710-2500
- Band Width-MHz: 136/790
- Gain-dBi: 9
- Horizontal Beam Width:45
- Vertical Beam Width:30
- VSWR: ≤ 1.5
- Input Impedance- Ω :50
- Polarization:Vertical
- Maximum Input Power-W: 50
- Connector: N
- Mechanical Specifications
- Antenna Size-mm :290*200*60
- Weight-kg:0.5
- Color:White.





X0019OFD8B

Ultra Wide band UWB...IVALDI TAPERED SLOT
New

TSA600

Ultra-Wideband PCB Tapered Slot Antenna

Features:

- High Performance, broad frequency range of 600 MHz to 6 GHz+
- Linear polarized with excellent gain over entire range
- Low VSWR over full range with no resonances
- Clean impulse response
- Very low loss substrate
- Individually calibrated and tested
- Low cost
- SMA output connector
- Adjustable polarization
- 25 Watt CW

Applications:

- Ground Penetrating Radars (GPR)
- Radio communications LTE, WIMAX, WIFI, PCS, UWB, GSM, HDTV, IoT
- Signals and communications Intelligence (SIGINT, COMINT, ELINT)
- Pulse Radar
- Broadband Software Defined Radio (SDR) Antenna
- EMC testing
- Spectrum analysis
- Direction finding

Description:

The RFSPACE TSA600 is a high performance, low cost, wideband antenna optimized for high gain, low VSWR and broadband response. The matching network has been optimized for best VSWR and a clean impulse response. Every TSA600 antenna is individually tuned and tested. The TSA600 is ideal as a wideband transmit or receive antenna for today's wireless communications.

Specifications:

Gain: 11 dBi @ 2.4 GHz
10 dBi @ 4.0 GHz
7 dBi @ 6.0 GHz

VSWR: 600 MHz - 6000 MHz <2.0:1 Typical.

Power Handling: 25 Watts

Aperture width: 240 mm

Length: 330 mm

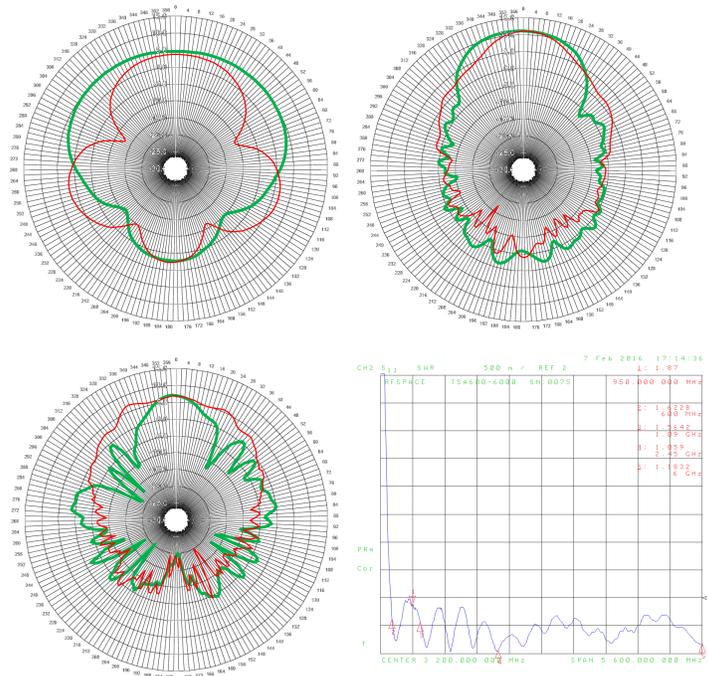
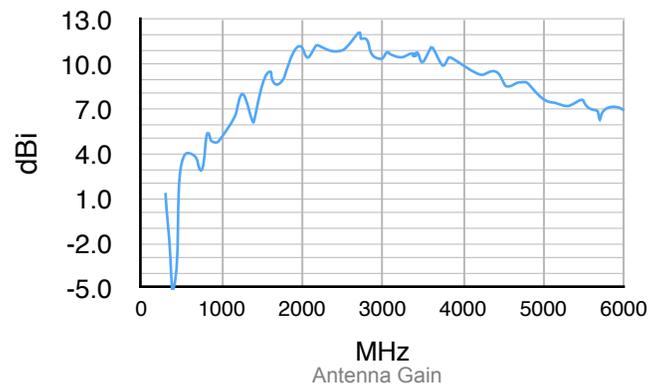
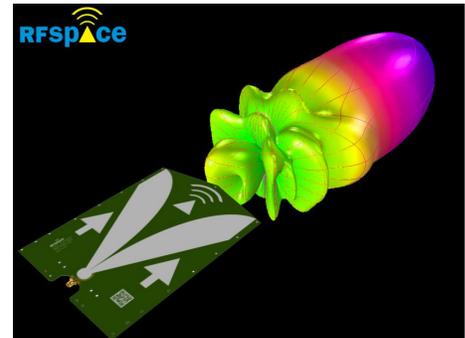
Weight: 0.5 lbs

Connector: 50Ω SMA edge mount

MSPR: \$69 Qty 1-5

\$62 Qty 5+

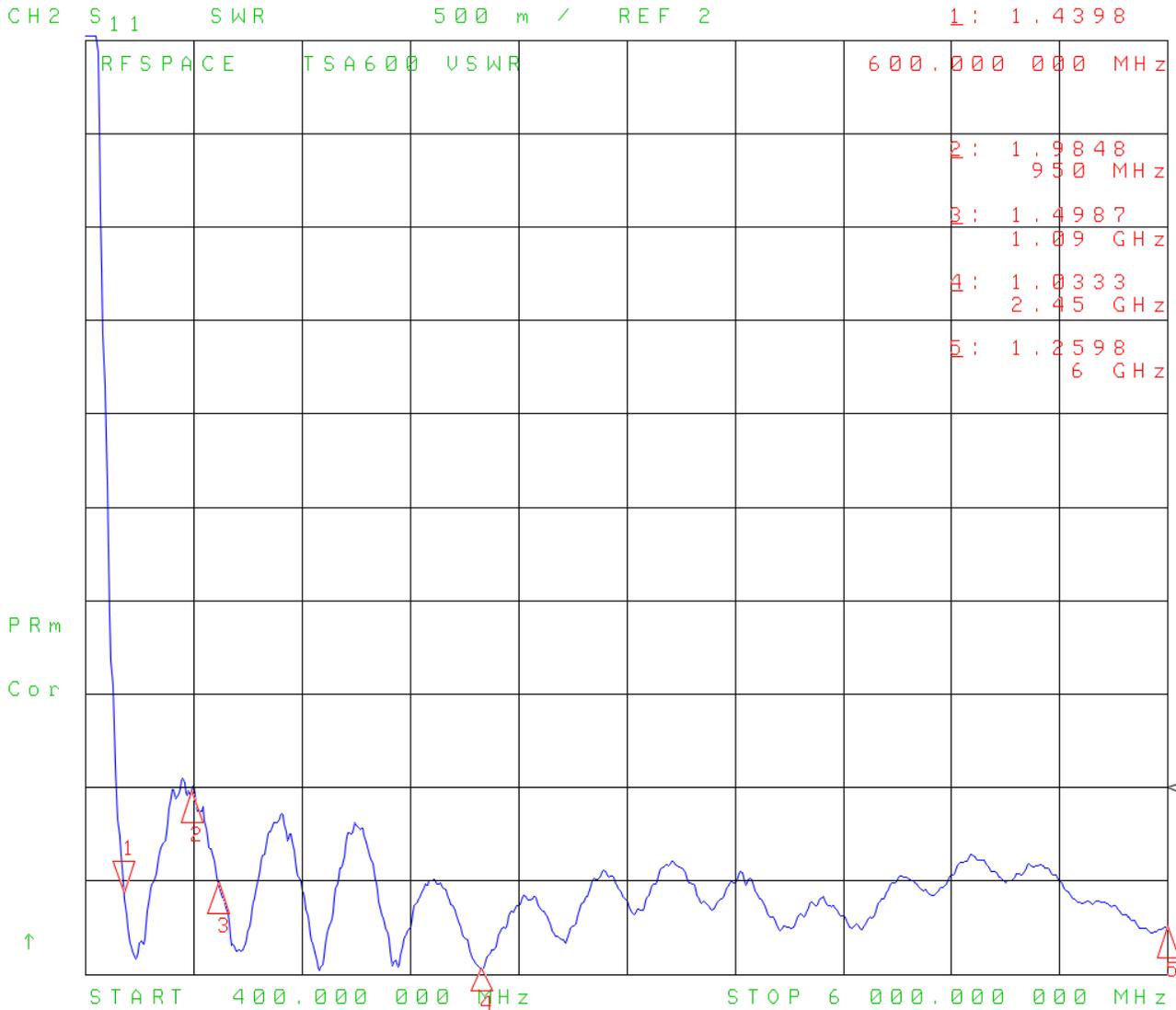
* Specifications subject to change without notice.



Antenna patterns at 600 MHz, 2400 MHz and 6000 MHz + VSWR



2 Apr 2017 14:58:50



Typical Antenna VSWR Plot

Available from:



Bibliografía

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